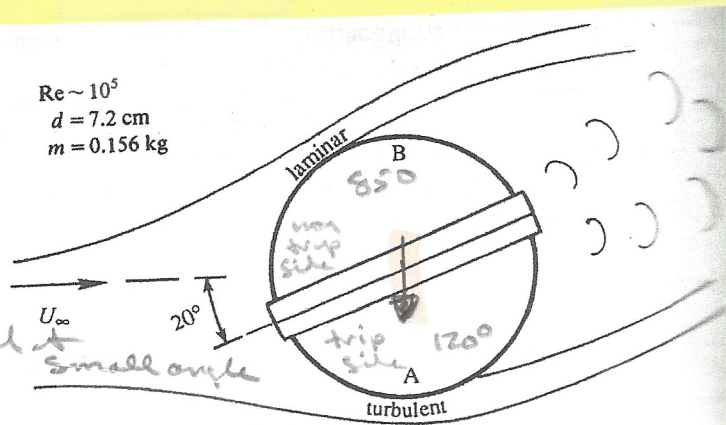


Sport Ball Dynamics

Trajectory sports ball (tennis, cricket, soccer, ping-pong, baseball, golf, etc.) Complex and counter intuitive, eg, curve, swerve, hook, swerve, slice, etc. Effects spin important

Cricket Ball

FIGURE 10.26 The swing (or curve) of a cricket ball. The seam is oriented in such a way that a difference in boundary-layer separation points on the top and bottom sides of the ball lead to a downward lateral force in the figure; the surface pressure at A is less than the surface pressure at B.



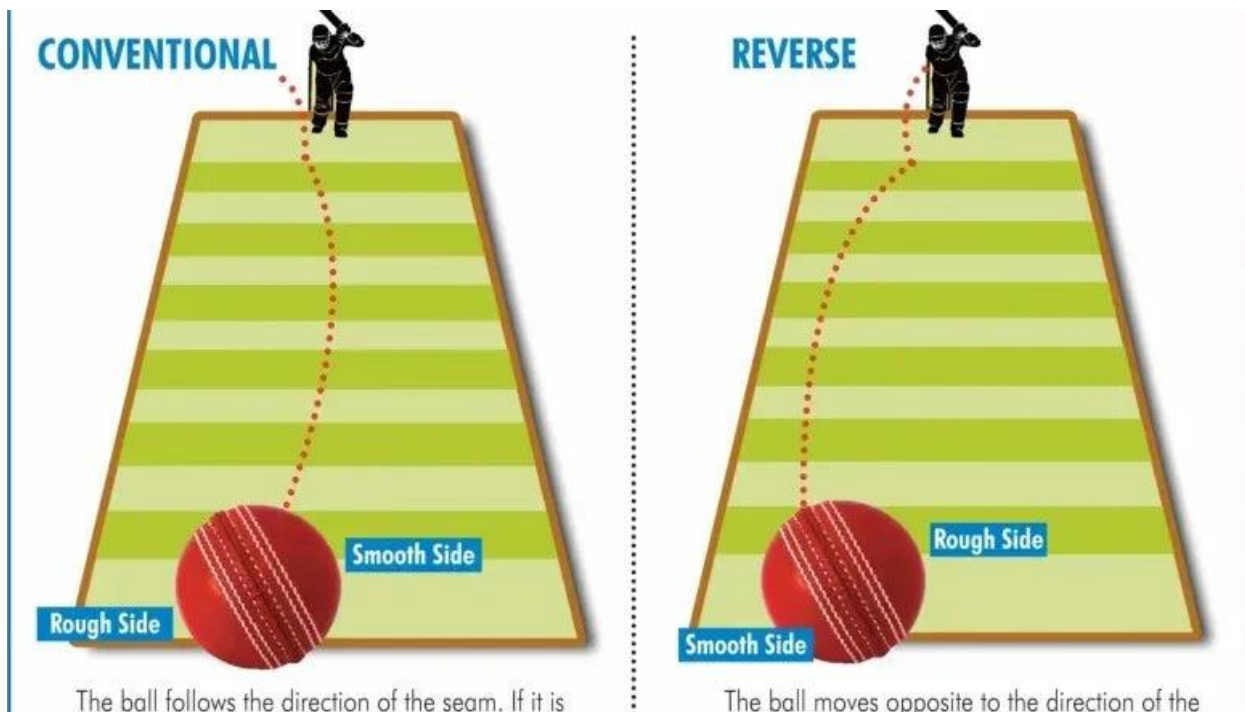
Looking downward
 bend to left
 outswinger
 or inswinger
 with seam
 opposite direction
 of upward force

1 mm high seam whose orientation leads flight path for speed $\sim 30 \text{ m/s}$, ie, $Re \sim 10^5$
 $< Re_{crit} = 5 \times 10^5$ since seam trips lower side B where turbulent flow while upper side remains laminar

A similar potential flow $C_p = 1 - \frac{4}{\pi} \sin^2 \theta$ | $\theta = \pi/2$ = -5/4
 on B reverse flow higher C_p so
 downward side force

Downward = side force

HOW TO BOWL OUTSWING



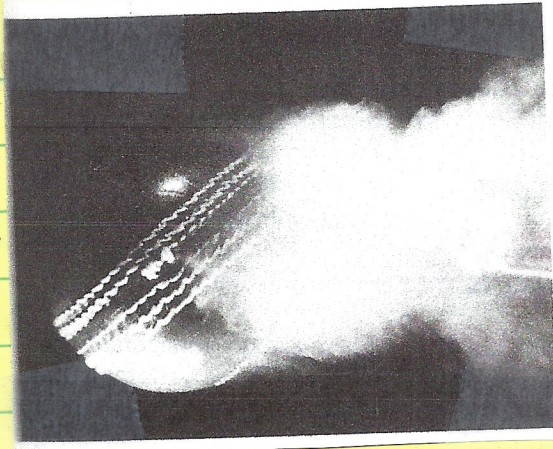


FIGURE 10.27 Smoke photograph of flow over a cricket ball in the same orientation and flow condition as that depicted in Figure 10.26. The flow is from left to right, the seam angle is 40° , the flow speed is 17 m/s, and $Re = 0.85 \times 10^5$. R. Mehta, Ann. Rev Fluid Mech. 17: 151-189, 1985. Photograph reproduced with permission from the Annual Review of Fluid Mechanics, Vol. 17 © 1985, Annual Reviews, www.AnnualReviews.org.

delayed separation
seam side →

wake deflected
upward
 40° release angle

upward force exerted on fluid \Rightarrow downward
by ball force on ball
by fluid

Backspin prevents wobble

side force 40% weight

deflection $\propto t^2 \Rightarrow$ parabolic path

that bends as much as .8m

too slow no bendy when reaches batter
as seam not effective
top BL

too fast both sides turbulent
also old ball roughness induces turbulence
both sides.

Effects himself also causes swing
but not yet explained since such
effects only change Re by 2% at
not enough affect separation.

Normal swing



1 The grip

Bowler holds ball next to seam, with part of shiny side towards batsman, and points seam in direction he wants the ball to swing. For an outswinger, the seam points towards slip, for an inswinger towards fine leg

Reverse swing



1 The grip

Bowler holds ball next to seam, with part of rough side towards batsman, and points seam in the opposite direction to the way he wants the ball to swing. For an outswinger, the seam points towards fine leg, for an inswinger towards slip

Contrast swing



At low speed

1 The grip

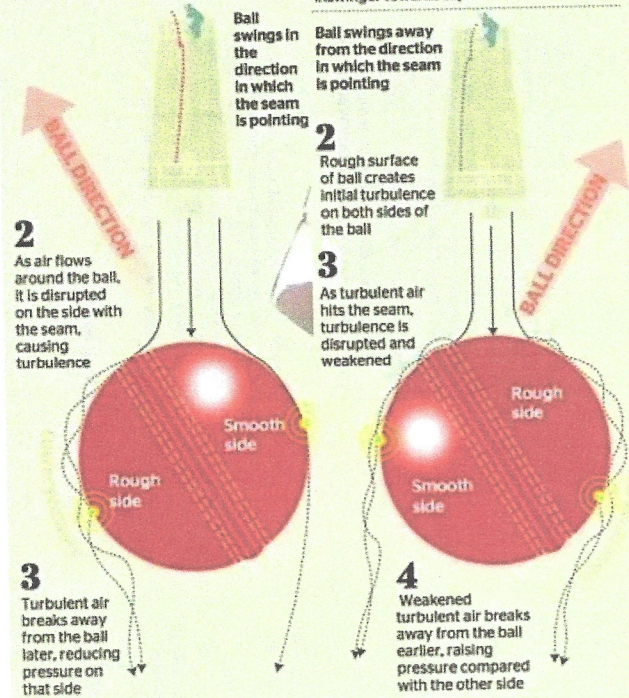
Bowler holds seam vertically, with rough side facing the way he wants the ball to swing

Basics of swing bowling

At high speed

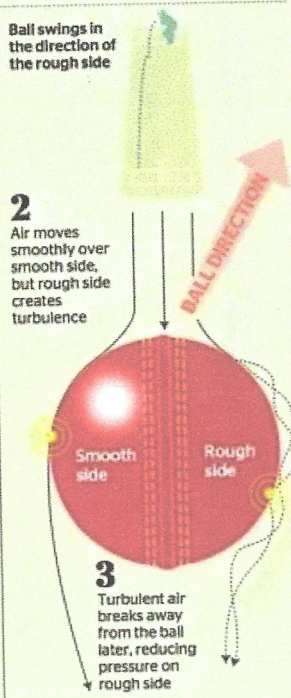
1 The grip

Bowler holds seam vertically, with shiny side facing the way he wants the ball to swing

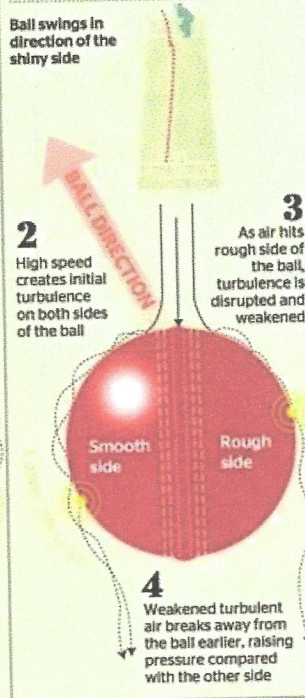


70mph optimum speed
Swing difficult to achieve above 80mph

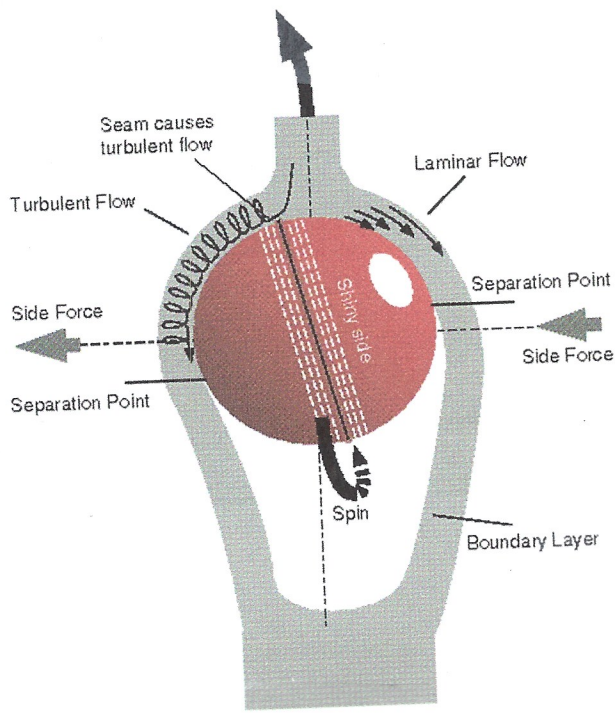
90mph optimum speed
Roughened balls will reverse at lower speed



70mph optimum speed
Faster balls swing the other way



80mph optimum speed
Ball still swings if seam is less prominent



Tennis Ball

curves downward

Bendy due spin: top spin \downarrow back spin \uparrow follow path.

Similar Γ as per cylinder flow with vortex
 but in this case \uparrow due asymmetric BL

separation: deflection rotating spheres
 called Magnus effect

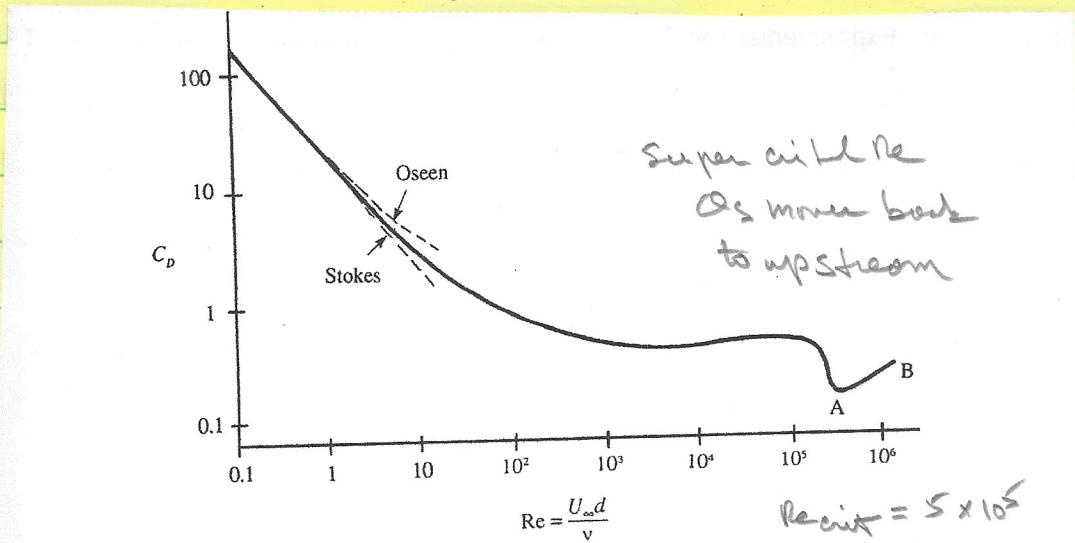


FIGURE 10.24 Measured drag coefficient, C_D , of a smooth sphere vs. $Re = U_\infty d / \nu$. The Stokes solution is $C_D = 24/Re$, and the Oseen solution is $C_D = (24/Re) (1 + 3Re/16)$; these two solutions are discussed at the end of Chapter 9. The increase of drag coefficient in the range A-B has relevance in explaining why the flight paths of sports balls bend in the air.

Top Spin

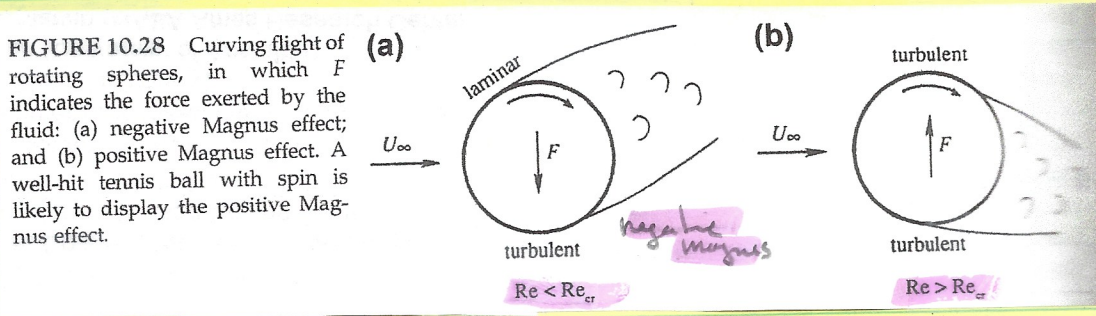


FIGURE 10.28 Curving flight of rotating spheres, in which F indicates the force exerted by the fluid: (a) negative Magnus effect; and (b) positive Magnus effect. A well-hit tennis ball with spin is likely to display the positive Magnus effect.

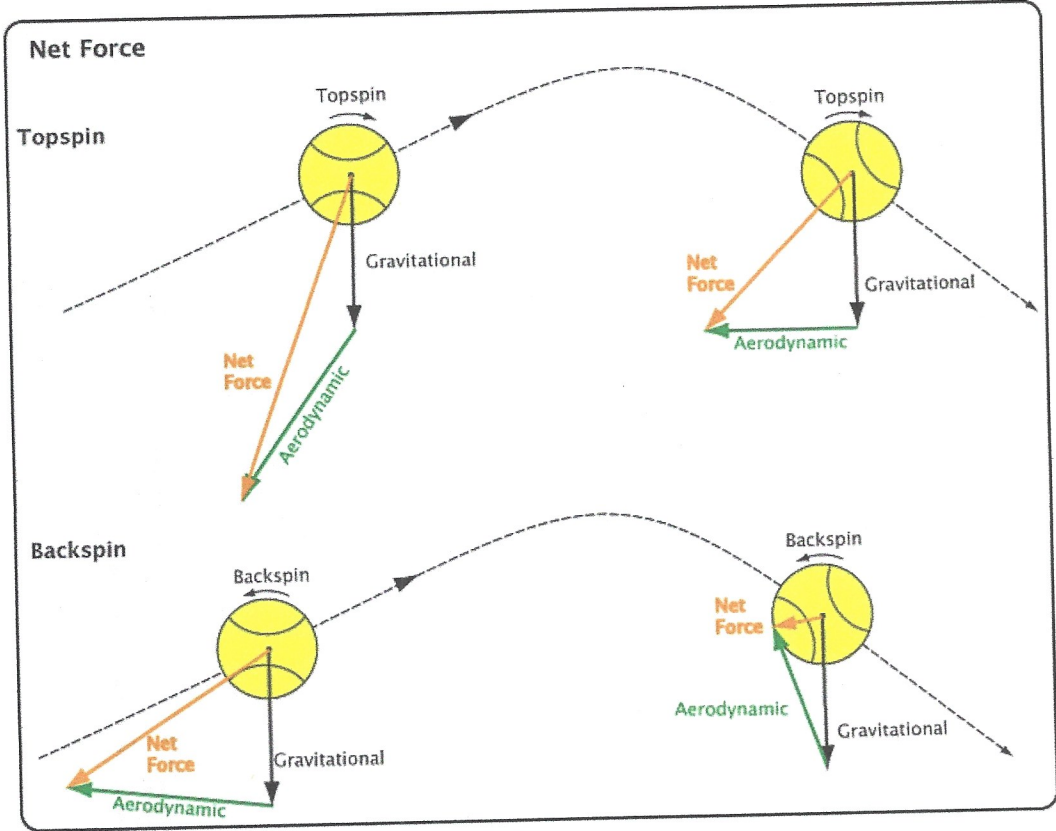
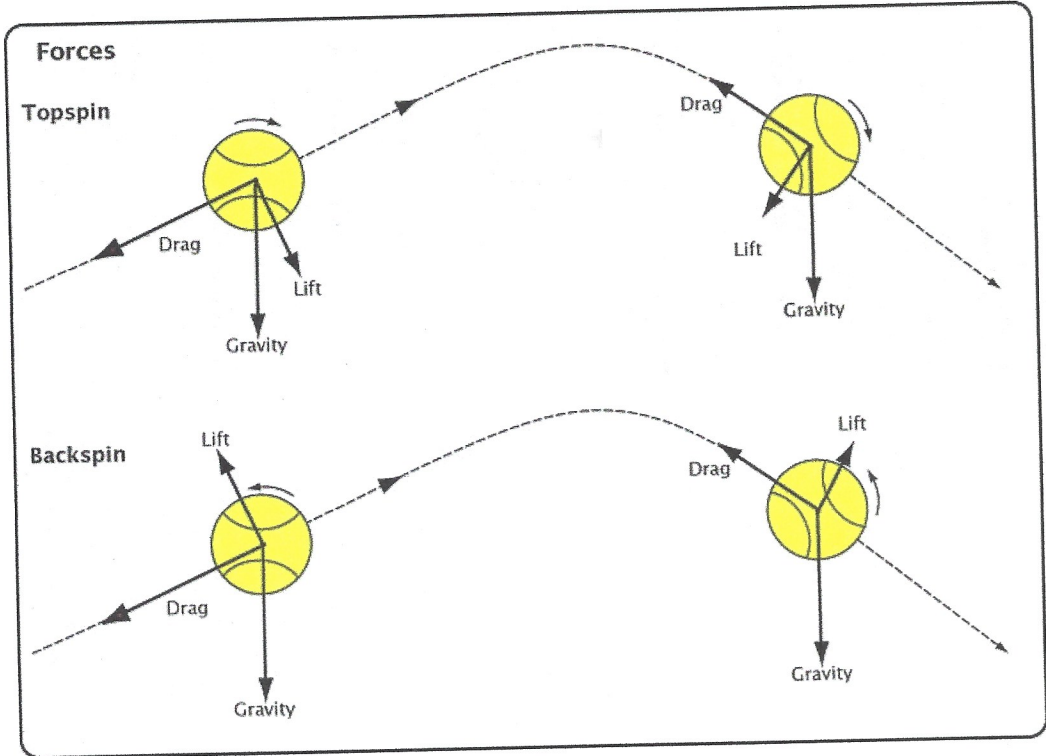
$Re < Re_{crit}$:

negative Magnus effect is opposite side force to that with Γ same sense as sphere rotation

$Re > Re_{crit}$: both side turbulent \Rightarrow positive Magnus effect

larger relative velocity lower side

$Re < Re_{crit}$ transition lower side



Baseball

$$Re \sim 1.5 \times 10^5$$

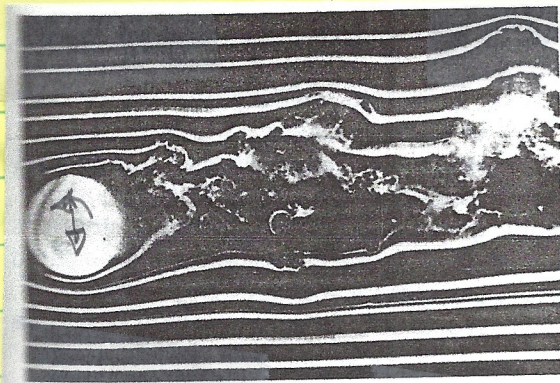


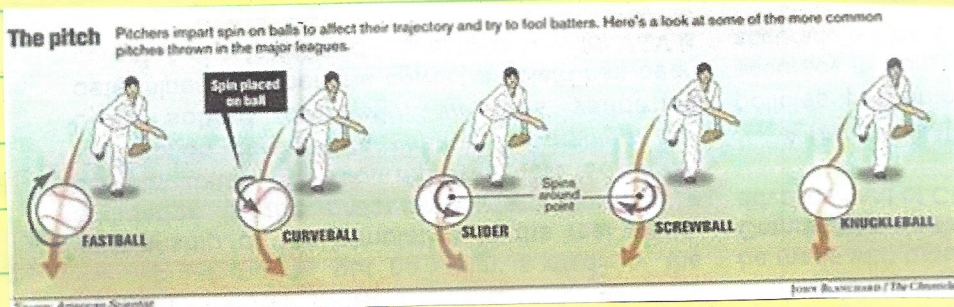
FIGURE 10.29 Smoke photograph of flow around a spinning baseball. Flow is from left to right, flow speed is 21 m/s, and the ball is spinning counterclockwise at 15 rev/s. Photograph by F. N. M. Brown, University of Notre Dame. Photograph reproduced with permission, from the Annual Review of Fluid Mechanics, Vol. 17 © 1985 by Annual Reviews, www.AnnualReviews.org.

$$Re > Re_{crit}$$

Curveball: side spin to bend away from
throwing arm

Screwball: opposite

Knuckleball: no spin & path depends
orientation seam as per cricket ball
but in this case irregular trajectory
due seam pattern



moved sideways when mounted perpendicular to the airflow. Rayleigh also gave a simple analysis for a "frictionless fluid," which showed that the side force was proportional to the free-stream velocity and the rotational speed of the cylinder. Tait (1890, 1891, 1893) used these results to try to explain the forces on a golf ball in flight by observing the trajectory and time of flight. This was all before the introduction of the boundary-layer concept by Prandtl in 1904. Since then, the Magnus effect has been attributed to asymmetric boundary-layer separation. The effect of spin is to delay separation on the retreating side and to enhance it on the advancing side. Clearly, this would only occur at postcritical Reynolds numbers ($Re = Ud/\nu$, where U is the speed of the ball or the flow speed in a wind tunnel, d is the ball diameter, and ν is the air kinematic viscosity), when transition has occurred on both sides. A smooth sphere rotating slowly can experience a negative Magnus force at precritical Reynolds numbers, when transition occurs first on the advancing side.

Most of the scientific work on sports ball aerodynamics has been experimental in nature and has concentrated on three sports balls: the cricket ball, baseball, and golf ball. Details of these three balls, together with typical operating conditions, are given in Figure 1.

The main aim in cricket and baseball is to deliberately curve the ball through the air in order to deceive the batsman or batter. However, the tools and techniques employed in the two sports are somewhat different, which results in the application of slightly different aerodynamic principles. An interesting comparison of the two sports is given by Brancazio (1983). In golf, on the other hand, the main aim generally is to obtain the maximum distance in flight, which implies maximizing the lift-to-drag ratio. In this article, the more significant research performed on each of the three balls is reviewed in turn, with emphasis on experimental results as well as the techniques used to obtain them. While many research papers and articles were consulted in preparing this review, only those that have made relevant and significant contributions to the subject have been cited. For an overview of the physics of many ball games, see Daish (1972).

2. CRICKET BALL AERODYNAMICS

2.1 Basic Principles

The actual construction of a cricket ball and the principle by which the faster bowlers swing the ball is somewhat unique to cricket. A cricket ball has six rows of prominent stitching, with typically 60–80 stitches in each row (primary seam). The stitches lie along the equator holding the two leather hemispheres together. The better quality cricket balls are in fact made out of four pieces of leather, so that each hemisphere has a line of internal stitching forming the "secondary seam." The two secondary seams,

AERODYNAMICS OF SPORTS BALLS

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1. INTRODUCTION

Aerodynamics plays a prominent role in almost every sport in which a ball is either struck or thrown through the air. The main interest is in the fact that the ball can be made to deviate from its initial straight path, resulting in a curved flight path. The actual flight path attained by the ball is, to some extent, under the control of the person striking or releasing it. It is particularly fascinating that not all the parameters that affect the flight of a ball are under human influence. Lateral deflection in flight (variously known as *swing*, *swerve*, or *curve*) is well recognized in cricket, baseball, golf, and tennis. In most of these sports, the swing is obtained by spinning the ball about an axis perpendicular to the line of flight, which gives rise to what is commonly known as the *Magnus effect*.

It was this very effect that first inspired scientists to comment on the flight of sports balls. Newton (1672), at the advanced age of 23, had noted how the flight of a tennis ball was affected by spin, and he gave this profound explanation: "For, a circular as well as a progressive motion . . . its parts on that side, where the motions conspire, must press and beat the contiguous air more violently than on the other, and there excite a reluctance and reaction of the air proportionably greater." Some 70 years later, in 1742, Robins showed that a transverse aerodynamic force could be detected on a rotating sphere. However, Euler completely rejected this possibility in 1777 (see Barkla & Auchterlone 1971). The association of this effect with the name of Magnus was due to Rayleigh (1877), who, in his paper on the irregular flight of a tennis ball, credited him with the first "true explanation" of the effect. Magnus had found that a rotating cylinder

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