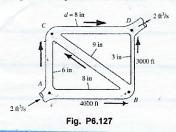
6.127 In the five-pipe horizontal network of Fig. P6.127, assume that all pipes have a friction factor f = 0.025. For the given inlet and exit flow rate of 2 ft³/s of water at 20°C, determine the flow rate and direction in all pipes. If $pA = 120 \text{ lbf/in}^2$ gage, determine the pressures at points B, and D

Solution: For water at 20°C, take $\rho = 1.94$ slug/ft³ and $\mu = 2.09E-5$ slug/ft·s. Each pipe has a head loss which is known except for the square of the flow rate:



$$h_{S} = f \frac{1}{0} \frac{V^{2}}{2S} = f \frac{1}{0} \frac{802}{3 \pi^{2}0^{4}} \qquad V^{2} = (\frac{Q}{A})^{2} = \frac{1602^{2}}{\pi^{2}0^{4}}$$

$$= \left[\frac{8fL}{\pi^{2}gD^{5}}\right] Q^{2} \quad \sigma_{2} = \left[\frac{8L}{\pi^{2}gD^{5}}\right] f Q^{2}$$

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Ken = 19.12

KBO = 1933

has + h B2 - h B2 = 0 loop AB2

Segudions hB2 + h C0 - hB0 = 0 loop BC0

Sunknoons -2 + QB2 + QB0 = 0 junction A

-QAB + QB2 + QB0 = 0 junction B

-QAB - QB2 + QE0 = 0 junction C

hen = Ken Q2

hop = KSO Q200

PA = 120 psi

= 15590 ps+/144

= 108 b25